

The BFP (Benford-Fibonacci-Perez) method validates the consistency of COVID-19 epidemiological data in France and Italy

Jean-Claude Perez, PhD Maths § Computer Science Bordeaux University, RETIRED interdisciplinary researcher (IBM Emeritus, IBM European Research Center on Artificial Intelligence Montpellier), Bordeaux metropole, France, jeanclaudeperez2@gmail.com

Abstract

The Benford method can be used to detect manipulation of epidemiological or trial data during the validation of new drugs. We extend here the Benford method after having detected particular properties for the Fibonacci values 1, 2, 3, 5 and 8 of the first decimal of 10 runs of official epidemiological data published in France and Italy (positive cases, intensive care, and deaths) for the periods of March 1 to May 30, 2020 and 2021, each with 91 raw data. This new method – called “BFP” for Benford-Fibonacci-Perez - is positive in all 10 cases (i.e. 910 values) with an average of favorable cases close to 80%, which, in our opinion, would validate the reliability of these basic data.

Introduction

On the one hand, there is Benford's law (<http://www.fusioninvesting.com/2009/11/benfords-law-and-fibonacci-numbers/>) which stipulates that the majority of series of measurements more or less linked to natural or biological phenomena are confirmed, if they are now, to this law which is defined as follows:

In (<http://www.fusioninvesting.com/2009/11/benfords-law-and-fibonacci-numbers/>) we note:
« Benford's law, also called the first-digit law, states that in lists of numbers from many real-life sources of data, the leading digit is distributed in a specific, non-uniform way. According to this law, the first digit is 1 almost one third of the time, and larger digits occur as the leading digit with lower and lower frequency, to the point where 9 as a first digit occurs less than one time in twenty.

This counter-intuitive result has been found to apply to a wide variety of data sets, like electricity bills, street addresses, stock prices, population numbers, death rates, lengths of rivers, physical and biological (which are very common in nature).

It is named after physicist Franck Benford, who stated it in 1938, although it had been previously stated by Simon Newcomb in 1881.

Particularly, in epidemiology and health drugs trials, this law permits to validate accuracy and réalité of basic data ».

This law is used in various areas like stock exchange, social phenomena, epidemiology etc... (Sarkar, 2018).

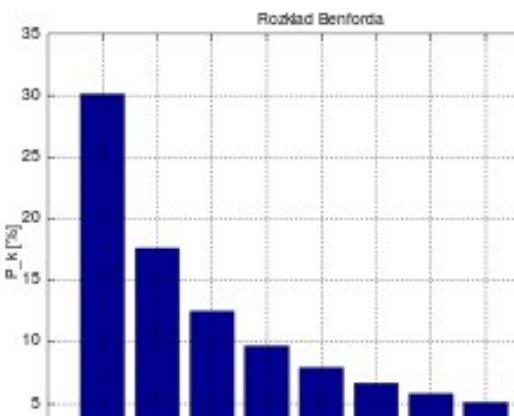


Figure 1 - percentages of Benford's law

This can therefore help detect fraud in scientific publications as well as unintentional errors in these datasets.

Often, we present the Fibonacci sequence as an example of a distribution obeying my Benford law fairly well.

On the other hand, there is, precisely, this Fibonacci law:

Well known in natural forms: nautilus spiral, sunflower flowers, pineapple, palm trees or pine cones, Fibonacci numbers also control the relative proportions of TCAG nucleotides in DNA: we had already demonstrated this 30 years ago (Perez, 1991), (Perez, 1997).

More recently, we have shown that these same Fibonacci proportions of the genome of the mitochondria, the energy source of the human cell, are deteriorated by mutations associated with various cancers (perez, 2017). We also demonstrate how these same Fibonacci proportions of DNA make it possible to distinguish a genome of a real bacterium from its attempt at a synthetic chimera (Perez, 2019).

In the field of SARS-CoV2, its mRNA vaccines, and its multiple variants, we have demonstrated since the start of the COVID-19 pandemic how these Fibonacci numbers offered a new angle for the analysis of mRNA sequences and mutations of SARS-CoV2: a biomathematic point of view of the genome (Perez, 2020), (Perez & Montagnier, 2020), mRNA vaccines or variants (Perez, 2021a), or the last Indian variant "Delta" B.1.617.2 (Perez , 2021b).

The paradox which is at the source of our method:

On the one hand, Benford's law is often illustrated by its "good correlation" when applied to the Fibonacci sequence, which everyone knows is at the root of many forms of nature.

On the other hand, when we observe this same histogram, taken as proof of Benford's law by the primes, I note, on the contrary, that the (Fibonacci) numbers 1 2 3 5 and 8 differ in this histogram other numbers 4 6 7 and 9 (see Figures 2 § 3, and Table 1).

It is this observation which will be at the root of our method, then illustrated by this article.

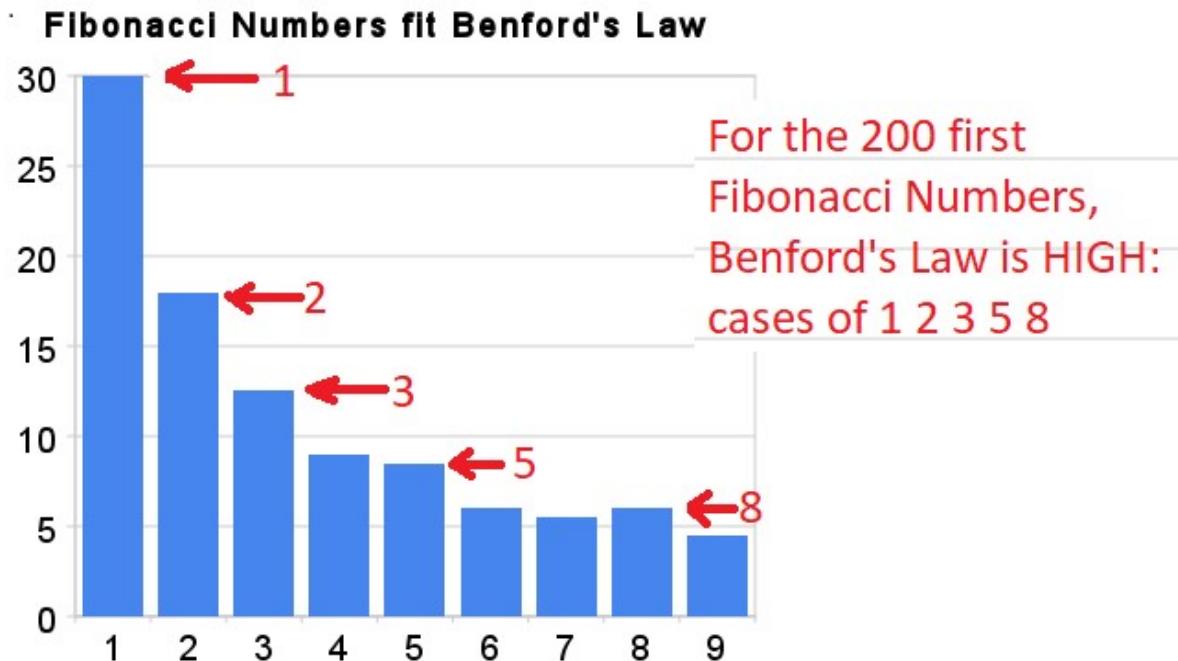


Figure 2 - percentages of Benford's law over the first 200 Fibonacci numbers.

Table1 -percentages of Benford's law over the first 500 Fibonacci numbers.

d	% théorique	% observé
1	30.100	30.130
2	17.600	17.560
3	12.490	12.570
4	09.691	09.381
5	07.918	07.984
6	06.694	06.586
7	05.799	05.788
8	05.115	05.389
9	04.575	04.391

Benford Law applied to the 500 first Fibonacci Numbers

Evidence of a specificity for Fibonacci digits 1 2 3 5 8

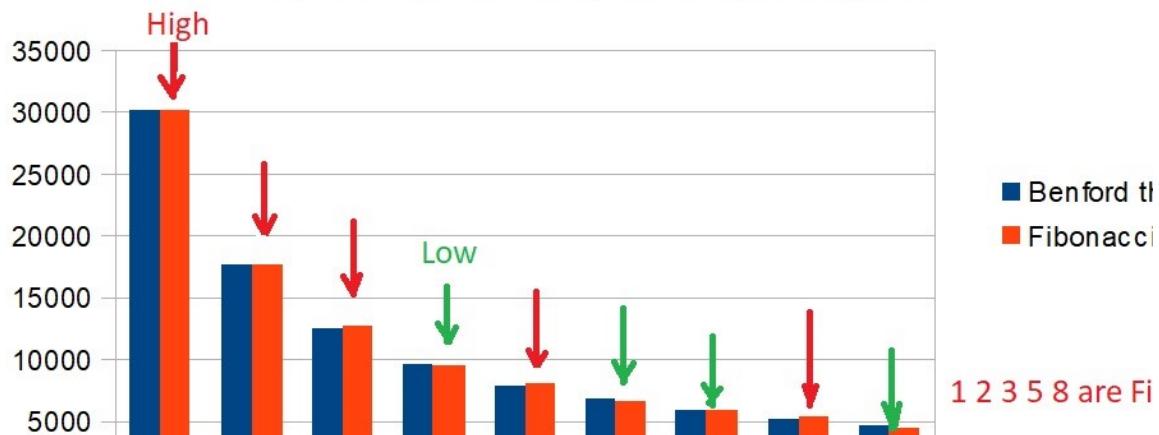


Figure 3 - percentages of Benford's law over the first 500 Fibonacci numbers.

What about the “BFP” method running on the firsts Fibonacci numbers?

Table 2 – 2 clusters partition of the 34 firsts Fibonacci numbers and BFP digits (Benford-Fibonacci-Perez).

Fibonacci BFP digit

1	1
1	1
2	2
3	3
5	5
8	8
13	1
21	2
34	3
55	5
89	1
144	1
233	2
377	3
610	6
987	9
1597	1
2584	2
4181	4

6765	6
10946	1
17711	1
28657	2
46368	4
75025	7
121393	1
196418	1
317811	3
514229	5
832040	6
1346269	1
2178309	2
3524578	3
5702887	5

It seems that our “BFP” law is all the more clear that the Fibonacci numbers are small here 27 on the first 34 = 79.41%.

Methods and datas

Fibonacci numbers :

0 1 1 2 3 5 8 13 21 34 55 89 144 233 377 610 987 1597 2584 4181 6765 10946 17711 28657 46368
75025 121393 196418 317811 514229 832040 1346269 2178309 3524578 5702887

For any whole number in the list, consider only its decimal with the highest weight decimal.

Example :

13 ==> 1
3398 ==> 3
4765 ==> 4

If the selected decimal digit belongs to fibonacci 1 2 3 5 8 do +1
Otherwise 4 6 7 9 0 do +0

We then calculate the% of positives / total.

Basic datas:

Main data sources from:

for France,

<https://www.data.gouv.fr/fr/datasets/donnees-hospitalieres-relatives-a-lepidemie-de-covid-19/>

and for Italy:

<https://www.sciencedirect.com/science/article/pii/S2352340920304200>

Table 3 - Italy: from 1 March to 30 May 2020 and 2021.

Positive cases Death Intensive care

2020	2021	2020	2021	2020	2021
566	13114	12	246	140	2289
342	17083	11	343	166	2327
466	20884	27	347	229	2411
587	22865	28	339	295	2475
769	24036	41	297	351	2525
778	23641	49	307	462	2571
1247	20765	36	207	567	2605
1492	13902	133	318	650	2700
1797	19749	97	376	733	2756
977	22409	168	332	877	2827
2313	25673	196	373	1028	2859
2651	26824	189	380	1153	2914
2547	26062	250	317	1328	2982
3497	21315	175	264	1518	3082
3590	15267	368	354	1672	3157
3233	20396	349	502	1851	3256
3526	23059	345	431	2060	3317
4207	24935	475	423	2257	3333
5322	25735	427	386	2498	3364
5986	23832	627	401	2655	3387
6557	20159	793	300	2857	3448
5560	13846	651	386	3009	3510
4789	18765	601	551	3204	3546
5249	21267	743	460	3390	3588
5210	23798	683	460	3489	3620
6203	23987	712	457	3612	3628
5909	23839	919	380	3732	3635
5974	19611	889	297	3856	3679
5217	12916	756	417	3906	3721
4050	16017	812	529	3981	3716
4053	23904	837	467	4023	3710
4782	23649	727	501	4035	3681
4668	21932	760	481	4053	3704
4585	21261	766	376	4068	3714
4805	18025	681	326	3994	3703
4316	10680	525	296	3977	3737
3599	7767	636	421	3898	3743
3039	13708	604	627	3792	3683
3836	17221	542	487	3693	3663
4204	18938	610	718	3605	3603
3951	17567	570	344	3497	3588
4694	15746	619	331	3381	3585
4092	9789	431	358	3343	3593
3153	13447	566	476	3260	3526
2972	16168	602	469	3186	3490
2667	16974	578	380	3079	3417
3786	15943	525	429	2936	3366
3493	15370	575	310	2812	3340
3491	12694	482	251	2733	3311
3047	8864	433	316	2635	3244
2256	12074	454	390	2573	3151

2729 13844 534 364 2471 3076
 3370 16050 437 360 2384 3021
 2646 14761 464 342 2267 2979
 3021 13817 420 322 2173 2894
 2357 13158 415 217 2102 2862
 2324 8444 260 301 2009 2849
 1739 10404 333 373 1956 2748
 2091 13385 382 344 1863 2711
 2086 14320 323 288 1795 2640
 1872 13446 285 263 1694 2583
 1965 12965 269 226 1578 2522
 1900 9148 474 144 1539 2524
 1389 5948 174 256 1501 2490
 1221 9116 195 305 1479 2423
 1075 10585 236 267 1427 2368
 1444 11807 369 258 1333 2308
 1401 10554 274 207 1311 2253
 1327 10176 243 224 1168 2211
 1083 8292 194 139 1034 2192
 802 5080 198 165 1027 2158
 744 6946 251 179 999 2056
 1402 7852 172 262 952 1992
 888 8085 195 201 893 1893
 992 7567 262 182 855 1860
 789 6659 242 136 808 1805
 875 5753 153 93 775 1779
 675 3455 145 140 762 1754
 451 4452 99 201 749 1689
 813 5506 162 149 716 1643
 665 5741 161 164 676 1544
 642 5218 156 218 640 1469
 652 4717 130 125 595 1430
 669 3995 119 72 572 1410
 531 2490 50 110 553 1382
 300 3224 92 166 541 1323
 397 3937 78 121 521 1278
 584 4147 70 171 505 1206
 593 3738 87 126 475 1142
 516 3351 111 83 489 1095
 416 2949 75 44 450 1061

Table 4 - France: from 1 March to 30 May 2020 and 2021.

Positive cases Death

2020	2021	2020	2021
43	20412	0	114
23	20453	0	375
48	19786	1	410
34	21912	1	322
73	13157	0	278
138	2364	3	405
179	29327	2	196
103	23466	1	127
410	23706	9	358
286	23945	11	356
371	26255	3	264
497	17026	15	265
586	4135	13	290

770 38276 18 168
818 30555 12 132
923 30439 36 333
1198 30375 21 392
1070 33123 27 236
1377 20670 69 269
1846 4986 128 267
1595 46270 78 184
1847 38088 112 138
1529 37136 112 343
3794 37079 186 269
2410 39932 240 245
2895 24890 230 223
3866 5122 365 897
3748 52323 297 156
4611 43554 319 158
2491 39629 291 360
4341 38379 415 361
7500 38483 497 299
4784 24320 505 304
2066 3775 471 318
5209 8602 2003 185
4221 53843 1053 157
1850 39110 518 228
3881 35899 832 412
3737 37967 1417 433
3869 23785 540 331
4256 3728 1339 319
4333 46288 987 207
3104 34343 635 176
1595 30754 560 373
2669 31275 572 345
5483 32128 762 295
2621 20291 1438 297
2623 4515 753 302
385 39723 760 177
2558 30755 636 169
742 29142 395 446
2050 26869 544 381
2638 28363 531 313
1810 17221 544 283
1623 3476 516 331
1755 32465 389 166
1537 24812 368 174
404 21077 242 391
1160 20966 437 315
1025 22575 366 344
1601 3828 427 306
1055 3376 288 290
601 27245 218 164
736 20203 164 113
250 17478 135 279
534 15889 306 255
1050 17918 326 273
4176 3888 278 219
512 1562 177 206
598 23884 242 205
430 16618 80 86
65 15762 70 319

863	1571	262	202
977	17164	348	182
985	8576	81	160
213	2262	349	173
73	18820	130	100
1110	15432	88	81
963	13220	66	195
1027	11514	186	192
131	11986	124	169
761	4817	109	133
226	12572	83	121
101	11821	74	75
692	9704	43	70
689	1908	34	61
649	1749	64	178
587	12438	98	172
552	13704	66	141
316	11090	65	94
126	10007	52	95

Results and Discussion

BASIC RESULTS:

Here is the expected result on the public data covid19 in France and in Italy between March 1 and May 30 in 2020 and in 2021. Then, having the RELIABILITY of these basic data, we will illustrate an example of application: bravais correlations pearson in France (data smoothed over 7 sliding days) on time between positive test and death.

Synthetic results: Test "BFP" method to validate SARS-CoV2 epidemiologic data.

Italy:

Positive cases 2020: 65 / 91 = 71.4%
Death 2020: 53 / 91 = 58.2%

Positive cases 2021: 80 / 91 = 87.9%
Death 2021: 71 / 91 = 78.02%

Intensive care 2020: 73 / 91 = 80.2%
Intensive care 2021: 91 / 91 = 100%

France:

Positive cases 2020: 63 / 91 = 69.2%
Death 2020: 83 / 91 = 91.2%

Positive cases 2021: 65 / 91 = 71.4%
Death 2021: 81 / 91 = 89%

Average $725 / 910 = 79.67\%$ for 10 batches with 91 cases each, then a total of 910 cases.

It seems that “BFP” law is all the more clear that the Fibonacci numbers are small here 27 on the first 34 = 79.41%.

We notice that everything is > in 2021 than in 2020.

2020:

$$64 + 53 + 73 + 63 + 65 = 318/455 = 69.89\%$$

2021:

$$80 + 71 + 91 + 83 + 81 = 406/455 = 89.23\%$$

How to explain?

It may be because the 2021 values are > the 2020 values.

So the method would prefer larger values?

COMPARING WITH RANDOM VALUES:

The results obtained here, that is to say nearly 80% success for 910 real values cumulating 10 races of 91 values each coming from epidemiological measurements in France and Italy, are they GREATER than what would be produced by CHANCE? To answer this question, we performed 100 random batches, each simulating 910 representative random values, for a total of 91,000 random tests. Here are the results:

While the number of successes of real cases is 725 favorable cases (first significant number = 1,2,3,5 or 8), the 100 batches produce an average number of successes of 667.96 with random values between 641 and 697 (Figure 4).

**Comparing the 910 real France\\$Italy COVID-19 Epidemiology Data
with 100 RUNS of 910 RANDOMvalues each**

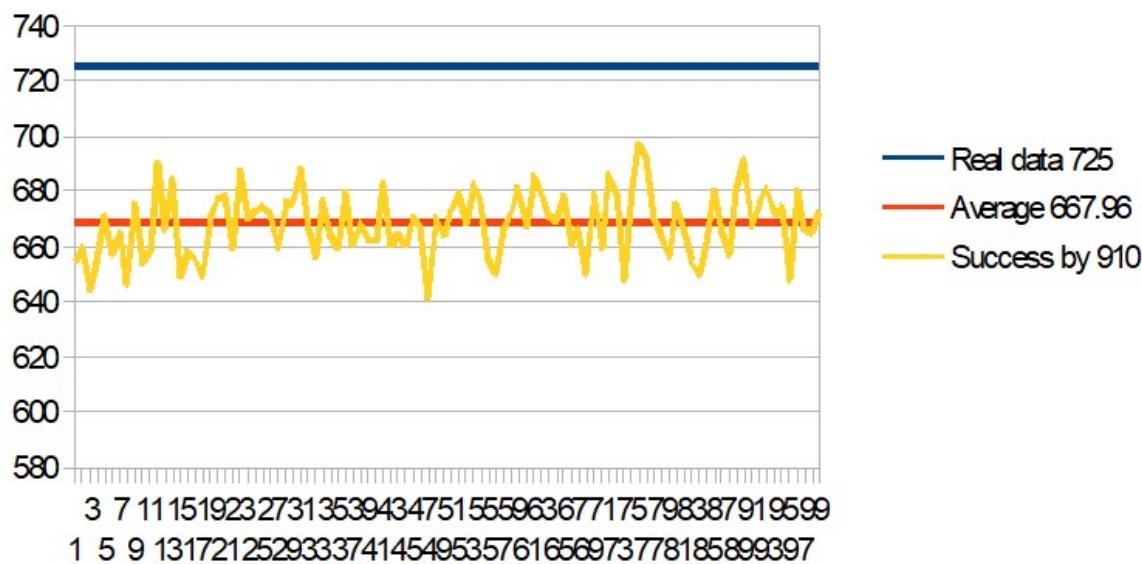


Figure 4 – Comparing the 910 real France\\$Italy results with 100 RANDOM RUNS, each simulating 910 random values between 1 and max value France\\$Italy (i.e. [1, 53843]).

EXAMPLE OF APPLICATION:

Table 5 – Comparing France Covid-19 March to May years 2020 and 2021, distances between positive case and death using Bravais-Pearson method on 7 days average splines values.

TEST TO DEA	2020	2021
7days	7514	6625
8days	8063	7154
9days	8577	7647
10days	9067	7883
11days	9408	8042
12days	9658	8212
13days	9832	8364
14 DAYS	9836	8419
15days	9731	8458
16days	9530	8482
17days	9187	8506
18days	8795	8496
19days	8308	8422
20days	7708	8338
21days	7103	8195

COMPARING FRANCE COVID19 MARCH TO MAY YEARS :

OPTIMALITY DURATION BETWEEN POSITIVE TEST AND DEATH

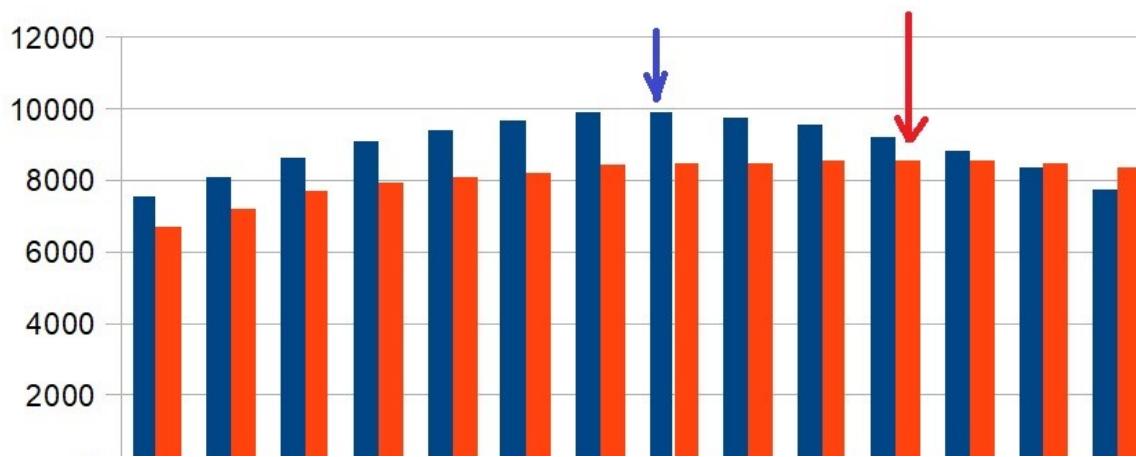


Figure 5 – Comparing France COVID19 distance between positive test and death for both periods March-May in 2020 and 2021.

Conclusions

Benford's law already makes it possible to validate or doubt the relevance, reliability and non-manipulation of batches of natural or medical data.

What we are proposing today is beyond this Benford law, it is a PARTITION of the first 9 digits (or 10 when, as here, there is also some null data) in 2 clusters: Fibonacci cluster (1 2 3 5 8) and non-Fibonacci cluster (0 4 6 7 9).

We suggest that the Fibonacci numbers cluster are all the more in the majority the more the data set is reliable and real.

This constitutes a breakthrough in the analysis of natural, social and medical data. This method and the prospects that it should now be consolidated and deepened.

Finally, we have demonstrated by 91,000 random values draws that the "BFP" law applied to the 910 COVID-19 epidemiological values of France and Italy studied here produces results which cannot result from mere chance.

Acknowledgements

My thanks:

To Dr Gérard Maudru (<https://blog-gerard.maudru.fr/>) who suggested to me) compare these epidemiological data for France and Italy between 2020 and 2021.

To Marc Niaufre (ex MICROSOFT international product manager for Excel) which introduced me to the Benford method and its subtle links with the Fibonacci sequence.

Thanks also for fructuous discussions about this article to Megawaty Tan (A private researcher based in South Sumatera, Indonesia), , Robert Freeman M D. (author of "Nature's secret nutrient, golden ratio biomimicry, for PEAK health, performance and longevity), Philippe Risby (initiator of "Learning to Survive") project in Portugal, Valère Lounnas, (Free lance researcher at CMBI European Molecular Biology Laboratory (EMBL) Heidelberg), Dr Daniel Favre, independant researcher, Brent, Switzerland, Christian Marc, (retired, MSEE-Dipl-Eng Physics, MBA (Beta Gamma Sigma, USA), Harvard HBS Alumn, General Director <https://www.caravanedelapaix.com/>), and Ethirajan Govindarajan (adjunct Professor, Department of Cybernetics, School of Computer Science, University of Petroleum and Energy Studies, Dehradun, Uttarakhand, India, Director, PRC Global Technologies Inc., Ontario, Canada, President, Pentagram Research Centre Pvt. Ltd., Hyderabad, India) and Xavier Azalber, Director FRANCE-SOIR newspaper (<https://www.francesoir.fr/info-en-direct>).

Particularly, this work is the result of multiple exchanges and advice, since the very beginning of the COVID-19 pandemic, for which I must thank Professor Luc Montagnier (Nobel prizewinner for his discovery of HIV, Fondation Luc Montagnier Quai Gustave-Ador 62 1207 Geneva, Switzerland).

References

(Perez, 1991), J.C. Perez (1991), "Chaos DNA and Neuro-computers: A Golden Link", in Speculations in Science and Technology vol. 14 no. 4, ISSN 0155-7785, January 1991
Speculations in Science and Cell Motility 14(4):155-7785

[https://www.researchgate.net/publication/258439719 JC Perez 1991 Chaos DNA and Neuro-computers A Golden Link in Speculations in Science and Technologyvol 14 no 4 ISSN 0155-7785](https://www.researchgate.net/publication/258439719_JC_Perez_1991_Chaos_DNA_and_Neuro-computers_A_Golden_Link_in_Speculations_in_Science_and_Technologyvol_14_no_4_ISSN_0155-7785)

Jean-Claude PEREZ. (2020). WUHAN COVID-19 SYNTHETIC ORIGINS AND EVOLUTION. International Journal of Research - Granthaalayah, 8(2), 285–324. <http://doi.org/10.5281/zenodo.3724003>

(Perez, 1997), Perez J.C, L'ADN décrypté, Ed. Marco Pietteur, ISBN : 2-87211-017-8
•EAN : 9782872110179, <https://www.editionsmarcopietteur.com/resurgence/91-adn-decrypte-9782872110179.html>

(Perez, 2009), Perez J.C, Codex biogenesis – Les 13 codes de l'ADN (French Edition) [Jean - Claude ... 2009];

Language: French; ISBN -10: 2874340448; ISBN -13: 978-2874340444
<https://www.amazon.fr/Codex-Biogenesis-13-codes-IADN/dp/2874340448>

(Perez, 2017), J.C Perez, 2017, Sapiens Mitochondrial DNA Genome Circular Long Range Numerical Meta Structures are Highly Correlated with Cancers and Genetic Diseases mtDNA Mutations

January 2017 [Journal of Cancer Science and Therapy](#) 09(06) DOI: 10.4172/1948-5956.1000469

(Perez, 2018), Perez, J.C. Six Fractal Codes of Biological Life:perspectives in Exobiology, Cancers Basic Research and Artificial Intelligence Biomimetism Decisions

Making. Preprints **2018**, 2018090139 (doi: 10.20944/preprints201809.0139.v1). Perez, J.C. Six Fractal Codes of Biological Life:perspectives in Exobiology, Cancers Basic Research and Artificial Intelligence Biomimetic Decisions Making. Preprints 2018, 2018090139 (doi: 10.20944/preprints201809.0139.v1).

<https://www.preprints.org/manuscript/201809.0139/v1>

(Perez, 2019) , Perez, J. Epigenetics Theoretical Limits of Synthetic Genomes: The Cases of Artificials *Caulobacter (C. eth-2.0)*, *Mycoplasma Mycoides (JCVI-Syn 1.0, JCVI-Syn 3.0 and JCVI_3A)*, *E-coli* and *YEAST chr XII*. Preprints **2019**, 2019070120 (doi: 10.20944/preprints201907.0120.v1).

<https://www.preprints.org/manuscript/201907.0120/v1>

Perez J.C, (2020). "WUHAN COVID-19 SYNTHETIC ORIGINS AND EVOLUTION." International Journal of Research - Granthaalayah, 8(2), 285-324.
<https://doi.org/10.5281/zenodo.3724003>

(Perez&Montagnier, 2020a), Perez, j.c, & Montagnier, L. (2020, April 25). COVID-19, SARS and Bats Coronaviruses Genomes unexpected Exogeneous RNA Sequences.
<https://doi.org/10.31219/osf.io/d9e5g>

(Perez%Montagnier, 2020b), Jean claude Perez, & Luc Montagnier. (2020). COVID-19, SARS AND BATS CORONAVIRUSES GENOMES PECULIAR HOMOLOGOUS RNA SEQUENCES. International Journal of Research -GRANTHAALAYAH ISSN (print): 2394-3629 July 2020, Vol 8(07), 217 – 263 DOI: <Https://doi.org/10.29121/granthaalayah.v8.i7.2020.678>, Vol 8(07), 217 – 263(Vol 8(07), 217 – 263), Vol 8(07), 217–Vol 8(07), 263. <http://doi.org/10.5281/zenodo.3975578>

(Perez, 2021) Perez, J. SARS-CoV2 Variants and Vaccines mRNA Spikes Fibonacci Numerical UA(CG Metastructures. Preprints **2021**, 2021040034 (doi: 10.20944/preprints202104.0034.v5). Perez, J. SARS-CoV2 Variants and Vaccines mRNA Spikes Fibonacci Numerical UA(CG Metastructures. Preprints 2021, 2021040034 (doi: 10.20944/preprints202104.0034.v5).
<https://www.preprints.org/manuscript/202104.0034/v5>

Perez, DUF1220 Homo Sapiens and Neanderthal fractal periods architectures breakthrough(2017)SDRP Journal of Cellular and Molecular Physiology 1(1)p:25-49
<http://dx.doi.org/10.25177/JCMP.1.1.4>

(Sarkar, 2018), Tirthajyoti Sarkar, What is Benford law? Oct 2018, <https://towardsdatascience.com/what-is-benfords-law-and-why-is-it-important-for-data-science-312cb8b61048>